# Collective Dynamics of the p+Pb Collisions

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[Piotr Bożek & WB, PLB 718 (2013) 1557, 720 (2013) 250, arXiv:1304.3044]

# Signatures of sQGP

Main signatures of sQGP in ultra-relativistic A+A collisions:

- Collective flow
- Jet quenching

Flow manifests itself in harmonic components in the momentum spectra, certain features in correlation data (ridges), interferometry (femtoscopy), ...

- Bozek 2010: p+A and p+p in hydro
- Ridges discovered in small systems, p+A and high-multiplicity p+p

# 3-stage approach

Our three-phase approach: initial  $\rightarrow$  hydro  $\rightarrow$  statistical hadronization

- Initial phase Glauber model
- Hydrodynamics 3+1 D viscous event-by-event
- Statistical hadronization

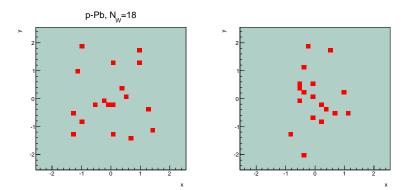
Main questions:

#### Are the central p-Pb collisions collective?

What is the nature of the initial state? What are the limits/conditions on applicability of hydrodynamics?

# Snapshots of initial Glauber condition in central p+Pb

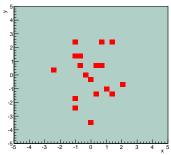
Typical transverse-plane configuration of centers of the participant nucleons in a p+Pb collision generated with GLISSANDO 5% of collisions have more than 18 participants, rms  $\sim 1.5$  fm - quite large!



## Snapshot of peripheral Pb+Pb

Most central values of  $N_w$  in p-Pb would fall into the 60-70% or 70-80% centrality class in Pb+Pb

Pb+Pb: c=60-70%  $\equiv 22 \le N_w \le 40$ , c=70-80%  $\equiv 11 \le N_w \le 21$ 

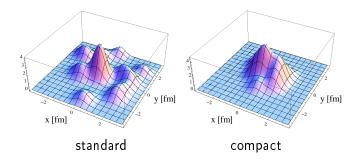


Pb+Pb, N<sub>w</sub>=18

in Pb+Pb somewhat larger size than in p+Pb

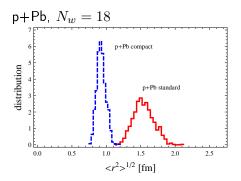
# Smearing

#### Gaussian smearing with width 0.4 fm (physical effect)



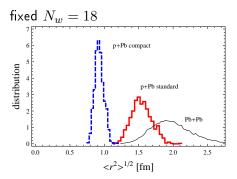
This is fed into e-by-e hydro as initial condition

Size in p+Pb



red - centers of participants, blue - center-of-mass of colliding pairs

# Size in p+Pb vs Pb+Pb

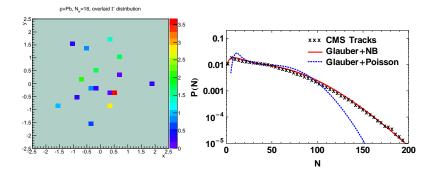


smaller size in  $p+Pb \rightarrow$  larger entropy density  $\rightarrow$  more rapid expansion

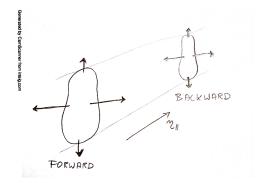
All in all, initial conditions in most central p+Pb not very far from peripheral Pb+Pb

# Multiplicity distribution

To reproduce the multiplicity distribution of the most central events in p+Pb one needs to fluctuate the strength of the Glauber sources. We overlay the Gamma distribution (Gamma + Poisson = negative binomial). At statistical hadronization Poissonian fluctuations are generated



# Assumed factorization of the transverse and longitudinal distributions



alignment of F and B event planes (can be checked experimentally) collimation of flow at distant longitudinal separations  $\rightarrow$  ridges!

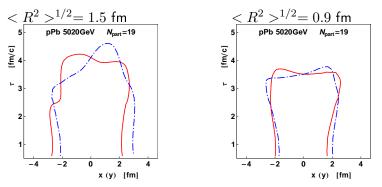
## Surfers - the near-side ridge



# Hydrodynamics [Bożek 2011]

3+1 D viscous event-by-event hydrodynamics

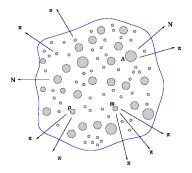
- $\tau_{\text{init}} = 0.6 \text{ fm/c}, \ \eta/s = 0.08 \text{ (shear)}, \ \zeta/s = 0.04 \text{ (bulk)}$
- freezeout at  $T_f = 150 \text{ MeV}$
- average initial temperature in the center of the fireball  $T_i = 242$  MeV ( $< R^2 >^{1/2} = 1.5$  fm), or 319 MeV ( $< R^2 >^{1/2} = 0.9$  fm) adjusted to fit multiplicity
- realistic equation of state (lattice + hadron gas [Chojnacki & Florkowski 2007]), viscosity necessary for small systems
- lattice spacing of 0.15 fm (thousands of CPU hours)



isotherms at freeze-out  $T_f = 150 \ {\rm MeV}$  for two sections in the transverse plane

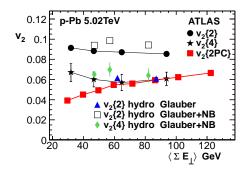
evolution lasts about 4 fm/c - shorter but more rapid than in A+A

## Statistical Hadronization



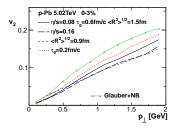
Statistical hadronization via Frye-Cooper formula + resonance decays (THERMINATOR), transverse-momentum conservation approximately imposed, local charge conservation included

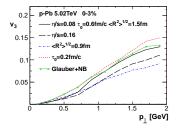
#### LHC: $v_2$ vs ATLAS



Flow

# $v_2\{2\}$ and $v_3\{2\}$ vs $p_T$

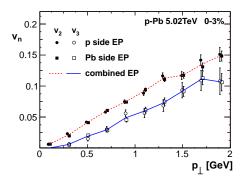




collectivity	in	p-P
Elow		

#### $v_2$ and $v_3$ from the scalar-product method

[STAR 2002, Luzum & Ollitrault 2012]



## $v_2$ and $v_3$

cuts: 
$$|\eta| < 2.5, \ 0.3 < p_T < 5$$
 GeV  $< R^2 >^{1/2} = 1.5$  fm

	<i>c</i> =0-3.4%	<i>c</i> =3.4-7.8%	
Glauber+Poisson			
$v_2\{2\}^2 [10^{-3}]$	3.70(1)	3.78(2)	
$v_3\{2\}^2 [10^{-3}]$	1.04(1)	0.95(1)	
$v_2{4}^4$ [10 <sup>-6</sup> ]	-0.4(4)	1.83(5)	
Glauber+NB			
$v_2\{2\}^2 [10^{-3}]$	8.18(12)	8.24(10)	
$v_3\{2\}^2 [10^{-3}]$	1.52(8)	1.51(6)	
$v_2\{4\}^4 [10^{-6}]$	15(7)	16(6)	

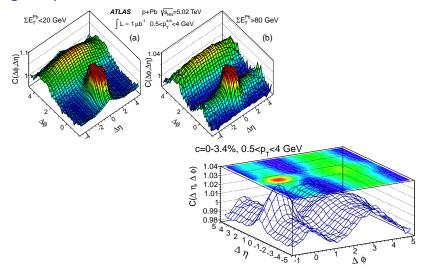
more fluctuations  $\rightarrow$  more harmonic flow  $v_2{4}$  very sensitive (fluctuations)

## Definition of the 2D correlation function

$$C(\Delta\eta, \Delta\phi) = \frac{N_{\rm phys}^{\rm pairs}(\Delta\eta, \Delta\phi)}{N_{\rm mixed}^{\rm pairs}(\Delta\eta)} = \frac{S(\Delta\eta, \Delta\phi)}{B(\Delta\eta, \Delta\phi)}$$

(more convenient than the "per-trigger" correlations)

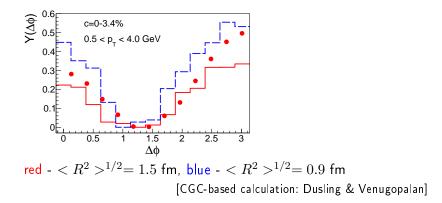
#### Ridge in p-Pb, ATLAS



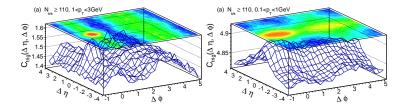
# Projection on $2 \le |\Delta \eta| \le 5$ , ATLAS

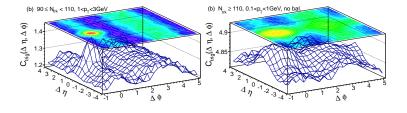
$$Y(\Delta\phi) = \frac{\int B(\Delta\phi)d(\Delta\phi)}{N}C(\Delta\phi) - b_{\text{ZYAM}}$$

The near-side ridge from our model:

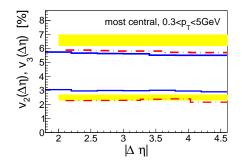


#### Ridge in p-Pb





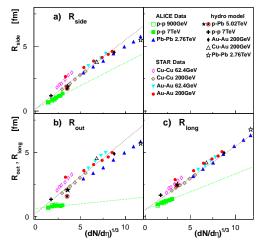
## Flow from correlations (two-particle cumulants) LHC: $v_n\{2, |\Delta \eta| > 2 \text{GeV}\}$ vs CMS top - $v_2$ , bottom - $v_3$



yellow - CMS blue - standard (< 
$$R^2>^{1/2}=1.5~{\rm fm}$$
 red - compact (<  $R^2>^{1/2}=0.9~{\rm fm}$ )

# HBT radii

Interferometric radii due to Bose-Einstein correlations - measure of the size of the system at freeze-out



# Conclusions

In hydro there is flow! Is there collectivity in small systems?

 $\rightarrow$  collective dynamics is compatible with high-multiplicity LHC data for p-Pb

- v<sub>n</sub> coefficients measured in p-Pb reproduced semiquantitatively - v<sub>3</sub> large
- Model 2-D correlations exhibit the two ridges, in particular the near-side ridge ("surfers")
- Interferometric radii for p+Pb are close to the A+A line, away from the p+p line - way to distinguish, will be verified shortly by ALICE
- Other effects (jets, corona, ...) not included
- p+p [Bozek 2010] needs structure of the proton
- Other models of the initial collision [Bzdak et al. 2013, CGC+hydro]